

International Islamic University Chittagong
Department of Electrical and Electronic Engineering

Final Assessment Autumn-2020		Program: B.Sc. Engg. (EEE)		
Course Code: EEE-3603		Course Title: Digital Signal Processing-I		
Time: 5 hours (Writing - 4 hours 30 minutes + 30 minutes submission time)		Full Marks: 50 (Written 30 + Viva/Viva-Quiz-20)		
[Answer each of the questions from the followings; Figures in the right margin indicate full marks. Answer script must be submitted through online method within 5 hours from starting time. Also, write down the Q. Set on the front page of your answer script]				
Q. Set-A				
1(a).	Determine the z transform of $x(n) = \left(\frac{1}{2}\right)^n u(n) + \left(\frac{5}{2}\right)^n u(-n - 1).$ Also draw ROC and pole zero location of X(z).	CO2	E	02
1(b).	Determine the inverse z transform of $X(z) = \frac{1}{1-z^{-2}}$ When (a) ROC $ z > 1$ (b) ROC $ z < 1$.	CO2	E	02
1(c).	Find the z transform of (a) $x(n) = a^n u(n) * u(n)$ (b) $x(n) = \sin \frac{n}{2}$	CO2	E	02
2(a).	Write down the advantages of Linear Phase FIR system.	CO2	R	01
2(b).	Determine the cascade form realization of the system described by the system function $H(z) = 1 - \frac{1}{5}z^{-1} + \frac{1}{7}z^{-2} + 2z^{-3}$	CO2	E	02
2(c).	Determine the parallel realization with second order and first order subsections for a LTI system described by the system function $H(z) = \frac{1+z^{-1}+3z^{-2}}{1+2.5z^{-1}-1z^{-2}}$	CO2	E	03
3(a).	Determine the circular convolution by using graphical method of two sequences $X_1(n) = \{4, 1, 5, 1\} \text{ and } X_2(n) = \{4, 5, 6, 7\}$ $\uparrow \qquad \qquad \qquad \uparrow$	CO2	E	02
3(b).	Compare between DFT and DTFT.	CO2	R	02
3(c).	Compute the linear convolution of the following two sequences by circular convolution $x(n) = \{1, 4, 5, 8\}$, $h(n) = \{h_1, h_2, h_3\}$. $\uparrow \qquad \qquad \qquad \uparrow$ Assume the values of h_1 , h_2 & h_3 .	CO2	E	02
4(a).	Explain the spectral inversion and spectral reversal technique for low-pass to high-pass filter conversion.	CO3	E	02
4(b).	Design a FIR low-pass filter having length 7 and $\omega_c = 1$ radian/sample. Use Hanning window for the design process.	CO3	C	03

4(c).	Why an ideal low pass filter is not physically realizable?	CO3	R	01
5(a)	Design a low pass filter with cut-off frequency of $.3\pi$ using bilinear transformation applied to the analog filter $H(s) = \frac{\omega_a}{s + \omega_a}$ where ω_a is the frequency of the analog filter and T=1s.	CO3	C	03
5(b).	“Shifting the passband of DC notch we can design Hum removal filter” – Explain the above statement.	CO3	E	03
6.	Viva/Viva-Quiz: The time of viva/viva-quiz will be declared in google classroom.			